

$$\begin{aligned} & \cdot [G_2G_4] \quad [G_1G_3] \quad O \\ & \cdot G_4 \quad G_3 \\ & \cdot G_1G_2G_3G_4 \end{aligned} \quad \text{-(3)}$$

:05 •

$$\begin{aligned} & [AB] \quad I \quad O \quad ABCD \\ & \cdot \overline{BJ} = \frac{1}{3}\overline{BC} : [BC] \quad J \\ & \cdot (\overline{AB}, \overline{AD}) \quad \overline{IJ} \quad \overline{BD} \quad \text{-(1)} \\ & \cdot G \quad (IJ) \quad (BD) \quad \text{-(2)} \\ & \cdot J \quad I \quad G \quad \text{-(3)} \\ & \cdot (A, \overline{AB}, \overline{AD}) \quad G \quad \text{-(4)} \end{aligned}$$

:06 •

$$\begin{aligned} & \cdot [AB] \quad I \quad B \quad A \\ & : M'' \quad M' \quad (P) \quad M \\ & M'' = \text{bar} \{(A,1);(B,1);(M,-1)\} \quad M' = \text{bar} \{(A,-1);(B,1);(M,2)\} \\ & \cdot M' \quad M \quad \text{-(1)} \\ & \cdot M'' \quad M \quad \text{-(2)} \\ & (C) \quad M \quad M'' \quad M' \quad \text{-(3)} \\ & \cdot I \quad \text{التي مركزها A} \end{aligned}$$

:07 •

$$\begin{aligned} & (P) \quad C \quad B \quad A \\ & M \quad C' \quad B' \quad A' \quad (P) \quad M \\ & \cdot C \quad B \quad A \\ & \cdot M' \quad (CC') \quad (BB') \quad (AA') \quad \text{-(1)} \\ & \cdot ACA'C' \quad BCB'C' \quad ABA'B' \quad \text{-(2)} \\ & \cdot M' \quad M \quad f \quad \text{-(3)} \end{aligned}$$

:01 •

$$\begin{aligned} & \cdot AB = 5 : (P) \quad B \quad A \\ & : K \quad G \quad \text{-(1)} \\ & \cdot K = \text{bar} \{(A,-1);(B,6)\} \quad G = \text{bar} \{(A,2);(B,3)\} \\ & : (P) \quad \text{-(2)} \\ & E_1 = \{M \in (P) / \|2\overline{MA} + 3\overline{MB}\| = 10\} \\ & E_2 = \{M \in (P) / \|2\overline{MA} + 3\overline{MB}\| = \|-\overline{MA} + 6\overline{MB}\|\} \\ & \cdot E_3 = \{M \in (P) / (2\overline{MA} + 3\overline{MB}) \cdot (-\overline{MA} + 6\overline{MB}) = 0\} \end{aligned}$$

:02 •

$$\begin{aligned} & : (P) \quad K \quad J \quad I \quad ABC \\ & J = \text{bar} \{(A,3);(C,4)\} \quad I = \text{bar} \{(A,3);(B,2)\} \\ & \cdot K = \text{bar} \{(B,2);(C,-4)\} \\ & \cdot J \quad I \quad K \quad \text{-(1)} \\ & \cdot (IJ) \quad K \quad K \quad J \quad I \quad \text{-(2)} \end{aligned}$$

:03 •

$$\begin{aligned} & : (P) \quad L \quad H \quad G \quad ABC \\ & L = \text{bar} \{(A,3);(C,1)\} \quad H = \text{bar} \{(A,-2);(B,1)\} \\ & \cdot L \quad H \quad G \quad L \quad H \quad \text{-(1)} \\ & \cdot L \quad H \quad G \quad L \quad H \quad G \quad \text{-(2)} \end{aligned}$$

:04 •

$$\begin{aligned} & \cdot a \quad O \quad ABCD \\ & : G_2 \quad G_1 \quad \text{-(1)} \\ & \cdot G_2 = \text{bar} \{(B,3);(C,4)\} \quad G_1 = \text{bar} \{(A,3);(B,4)\} \\ & : G_4 \quad G_3 \quad \text{-(2)} \\ & \cdot G_4 = \text{bar} \{(D,3);(A,4)\} \quad G_3 = \text{bar} \{(C,3);(D,4)\} \end{aligned}$$

:11 •

$AB = a$

M L K H M

(AB) (AC) (BC)

$MH + MK + ML = \frac{a\sqrt{3}}{2}$: **-(1)**

E (AC) (BC) M **-(2)**

M F (BC) (AB) M

$ME + MF + MG = a$: G (AB) (AC)

$\vec{j} = \frac{1}{a}\overrightarrow{BA}$ $\vec{i} = \frac{1}{a}\overrightarrow{BC}$: (B, \vec{i}, \vec{j}) (P) **-(3)**

$\{(A, MF); (B, ME); (C, MG)\}$

M

$M = \text{bar}\{(A, CE), (B, AG); (C, BF)\}$: **-(4)**

:12 •

$\gamma = AB$ $\beta = AC$ $\alpha = BC$: ABC

C I $[BC]$ \widehat{BAC}

D (AB) (AI)

$\frac{IB}{IC} = \frac{\gamma}{\beta}$: ADC **-(1)**

$I = \text{bar}\{(B, \beta); (C, \gamma)\}$: **-(2)**

\widehat{ACB} \widehat{ABC} K J **-(3)**

(C, γ) (B, β) (A, α) O $[AB]$ $[AC]$

$K = \text{bar}\{(A, \alpha); (B, \beta)\}$ $J = \text{bar}\{(A, \alpha); (C, \gamma)\}$:

O متلاقية في النقطة ABC **-(4)**

:08 •

$BC = 2$ $AB = AC = 3$: ABC

ABC H $[BC]$ A'

\widehat{BAC} θ $\cos \theta = \frac{7}{9}$: **-(1)**

B' (AC) B B' **-(2)**

C A

C B A هي مرجع النقط H **-(3)**

:09 •

(P) R Q G ABC

$Q = \text{bar}\{(A, 3); (C, 1)\}$ $G = \text{bar}\{(A, 3); (B, 1); (C, 1)\}$

$R = \text{bar}\{(A, 3); (B, 1)\}$

G (CR) (BQ) **-(1)**

G P A $[BC]$ P **-(2)**

\overline{PA} \overline{PG}

$[BC]$ (C) C B **-(3)**

(C) A G (Γ)

:10 •

(P) K J I ABC

$K = \text{bar}\{(B, -4); (C, 1)\}$ $J = \text{bar}\{(A, 1); (B, 2)\}$ $I = \text{bar}\{(A, 1); (C, 1)\}$

K J I **-(1)**

$[CJ]$ $[BI]$ $[AK]$ C' B' A' **-(2)**

\overline{AC} \overline{AB} $\overline{CC'}$ $\overline{BB'}$ $\overline{AA'}$

$(A'C')$ B' C' B' A' **-(3)**

:15 •
 ABCD

- O [CD] [AB]
 [BD] [AC]
 C J {(A,3);(B,-2)} I
 $\vec{AK} = \frac{1}{4}\vec{AC}$: K B
 C B J
 C A K
 (CI) (BK) (AJ)
 E = {M ∈ (P) / ||3 \vec{AM} - 2 \vec{BM} || = ||-2 \vec{BM} + \vec{CM} ||}
 C A O h
 h B صورة B' أ
 D C I' بين I' = h(I) -ب
 h D صورة D' -ج

abouzakariya@yahoo.fr

:13 •
 B A

- k (P)
 (Γ_k) = {M ∈ (P) / $\frac{MA}{MB} = k$ } :
 (Γ₁) - (1)
 k ∈ ℝ₊* - {1} - (2)
 (P) J I (Γ_k) = {M ∈ (P) / $\vec{MI} \cdot \vec{MJ} = 0$ }
 J = bar {(A,1);(B,-k)} I = bar {(A,1);(B,k)}
 (Γ_k)
 (Σ) = {M ∈ (P) / 3MA² + 2MB² = 7.MA × MB} :
 AB = 4 (P) B A

- (3) تطبيق:

:14 •
 ABCD

- O
 BD = 7cm AC = 6cm AB = 5cm
 J = bar {(B,5);(D,2)} I = bar {(A,3);(C,-1)} : J I
 γ β α D = bar {(A,α);(B,β);(C,γ)} :
 E₁ = {M ∈ (P) / ||3 \vec{MA} - \vec{MC} || = || \vec{MB} + \vec{MD} ||}
 E₂ = {M ∈ (P) / || \vec{MA} - \vec{MB} + \vec{MC} || = || \vec{AB} + \vec{AD} ||}
 {(A,-6);(B,5);(C,2);(D,2)} : K
 K J I - (4)